

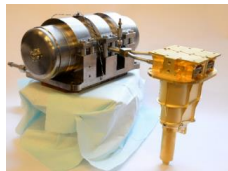
Study of oscillating flows inside a reticular regenerator: impact of internal scale on the operating frequency

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Context

- Cryogenic cooling for space IR sensors
 - Low vibrations and high lifetime device
- Pulse tube cryocooler (PTC)**



PTC 15K by Air Liquide⁽¹⁾

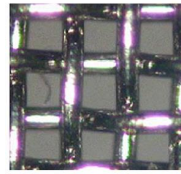
Cryogenic cooling:
 ⇒ Helium gas compression/expansion cycles
 ⇒ Oscillating flow

Objective: miniaturization
 ⇒ Smaller device and same performances

Miniaturization of the regenerator

Regenerator

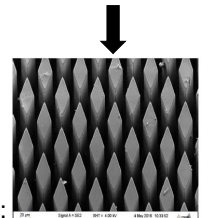
Thermal sponge ⇒ heart of the PTC



Metal grid⁽²⁾

- Commonly used
- Disadvantage: miniaturization limits

New geometry



Diamond-shaped pillars⁽³⁾

- Control of porosity
- Ordered structure
- Silicium (Si) etching: DRIE

Oscillating flow study

Making of reticular microregenerators

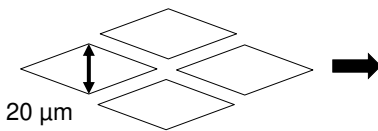
Properties

Microfabrication steps

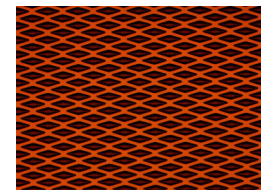
- Length: 20 mm
- Width: 4 mm
- Height: ~300 μm
- Pillar's width: 20 μm

- 1: Resin spreading on Si
- 2: Insolation UV rays
- 3: Chemical development of insolated resin
- 4: Silicium etching with DRIE technique
- 5: Si-Pyrex sealing

- Staggered diamond-shaped pillars
 ⇒ Better compromise between pressure drop and heat transfers



20 μm



Lithography pattern with a 33° angle and 40% of porosity

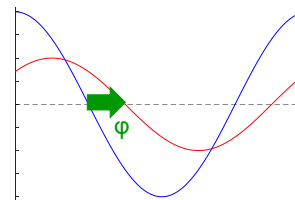
Hydrodynamic performances for an oscillating flow

Definition of oscillating flow

Pressure drop ΔP and mean velocity u :
 ⇒ Sinusoidal signals

$$\Delta P(t) = \Delta \bar{P} \cdot \cos(\omega t)$$

$$u(t) = \tilde{u} \cdot \cos(\omega t - \varphi)$$



φ : phase lag between pressure drop and velocity

Dimensionless numbers

- Maximum Reynolds number Re_{max} :

$$Re_{max} = \frac{\tilde{u} \cdot D_h}{\nu}$$

- Valensi number Va :

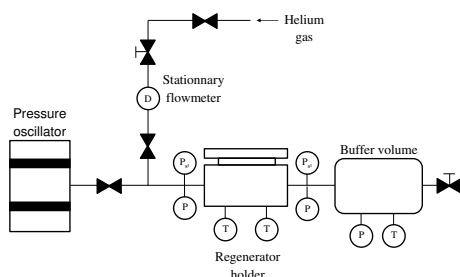
$$Va = \frac{\omega \cdot D_h^2}{\nu}$$

- Darcy's friction factor f :

$$f = \frac{D_h}{L} \times \frac{\Delta \bar{P}}{\frac{1}{2} \rho \cdot \tilde{u}^2} \times \cos(\varphi)$$

f is a function of Re_{max} and Va

Pressure drop test bench



- Stationary/oscillating flow test bench
- Friction factor: Measurement of pressure drop and flowrate

⇒ **No commercial flowmeter for oscillating flows**

Oscillating flow test bench

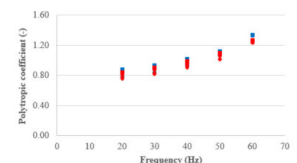
Flowmeter test bench



Picture of flowmeter test bench

- Use of buffer volume
- Compression/expansion cycles
 ⇒ Determination of polytropic coefficient ξ

$$\xi = \frac{\ln\left(1 + \frac{\bar{P}}{P_0}\right)}{\ln\left(\frac{V_0}{V_0 - \bar{V}}\right)}$$



Conclusion

- Si etching : good method for miniaturization
- New definition of friction factor:
 ⇒ One more dimensionless number than stationary flow: Valensi number

Future work

- Use of pressure drop test bench for friction factor measurement
- CFD simulation with OpenFOAM

References

- (1) : <https://www.d-sbt.fr/Pages/LCCS/Tubes-a-gaz-pulse.aspx>
- (2) : Choi, S.; Nam, K.; Jeong, S. Investigation on the pressure drop characteristics of cryocooler regenerators under oscillating flow and pulsating pressure conditions. *Cryogenics* **2004**, 44 (3), 203–210. <https://doi.org/10.1016/j.cryogenics.2003.11.006>.
- (3) : Sochinskii, Arkadii. 2018. « Premier pas vers la miniaturisation des cryoréfrigérateurs spatiaux ».